

YEAR 12
PHYSICS (STAGE 3)
VECTORS TEST

Student's Name:

Tutorial Group:

Teacher's Name:

Date:

- A **scalar quantity** has magnitude only.
 - A **vector quantity** has both magnitude and direction.
1. For each physical quantity listed in TABLE 1, can you indicate which quantity is a vector, and which is a scalar by printing either **V** for a vector or **S** for a scalar in the appropriate cell in the table?

TABLE 1: Which are Scalars? Which are Vectors?			
	Physical Quantity	Scalar	Vector
1	mass		
2	weight		
3	time		
4	temperature		
5	distance		
6	displacement		
7	speed		
8	velocity		
9	acceleration		
10	force		
11	kinetic energy		
12	potential energy		
13	momentum		
14	impulse		

[14 marks]

Suppose that you are a passenger, sitting at rest, on a school bus that is travelling West at 10.0 m s^{-1} .

2. What is your **speed** relative to the bus? [1 mark]

3. What is your **speed** relative to the ground? [1 mark]

4. What is your **velocity** relative the ground? [2 marks]

- Graphically a vector is represented by an arrow, whose length gives the magnitude of the vector, and whose arrowhead gives the direction of the vector.

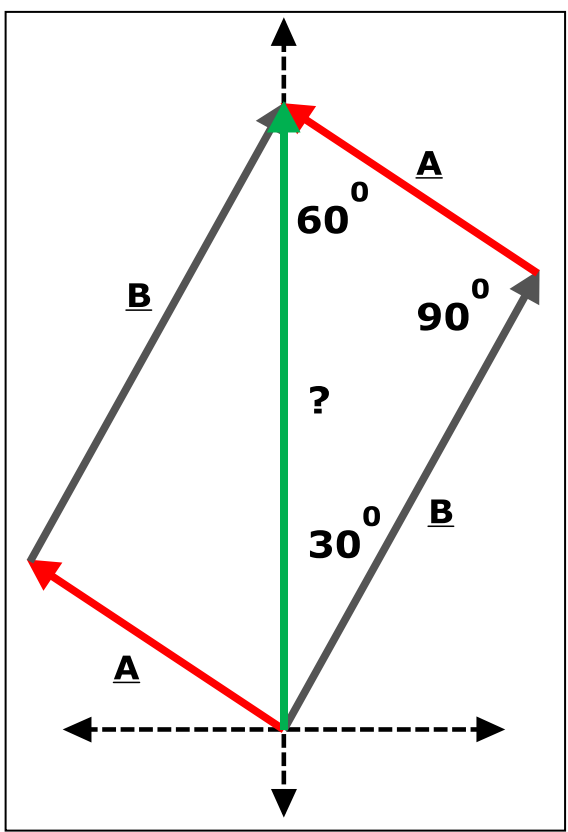
5. How would you **graphically** show the velocity of a school bus, which is travelling **West** at 10.0 m s^{-1} ? [3 marks]

6. How would you **graphically** show the velocity of a school bus, which is travelling **East** at 10.0 m s^{-1} ? [3 marks]

7. Can a velocity of 10.0 m s^{-1} East be **mathematically** shown as -10.0 m s^{-1} West? You must fully explain your answer.

[3 marks]

Vector Addition ($\underline{C} = \underline{A} + \underline{B}$)



- The **resultant** or vector sum of vectors **A** and **B** is a vector **C** whose effect on an object is equal to the combined effects of vectors **A** and **B** on that object.

8. How could you describe in words the unknown vector (?) in terms of vectors **A** and **B**?

[1 mark]

9. How could you describe **mathematically** the magnitude of the unknown vector (?) in terms of vectors **A** and **B**?

[2 marks]

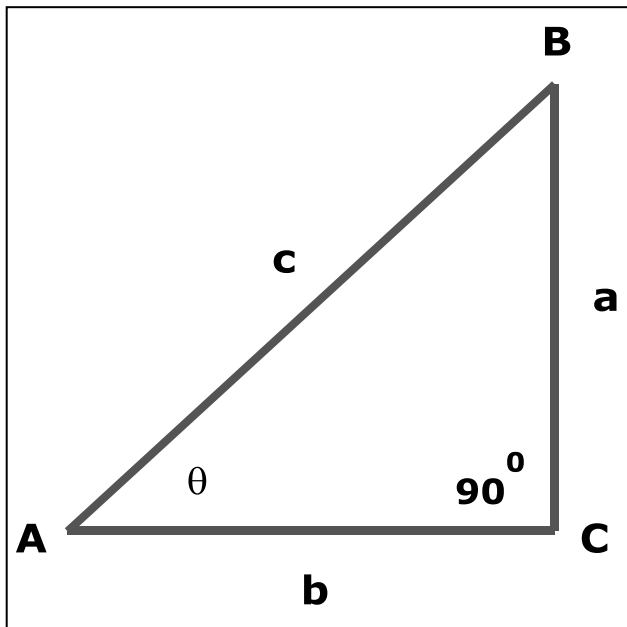
Does the **order of vector addition** affect either the magnitude or the direction of the resultant vector?

10. If vector **B** is added to vector **A** is the resultant obtained the same, as when vector **A** is added to vector **B**? You must fully explain your answer? HINT: Refer back to the **vector addition** diagram on Page 2.

[3 marks]

Trigonometric Formulas

For a right-angled Triangle



Pythagorean theorem

$$c^2 = a^2 + b^2$$

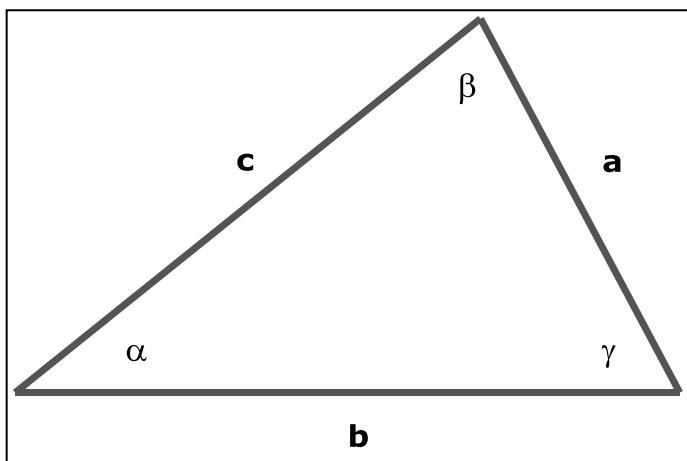
$$\sin \theta = a / c$$

$$\cos \theta = b / c$$

$$\tan \theta = a / b$$

$$\tan \theta = \sin \theta / \cos \theta$$

For any Triangle



Law of cosines

$$c^2 = a^2 + b^2 - 2 a b \cos \gamma$$

Law of sines

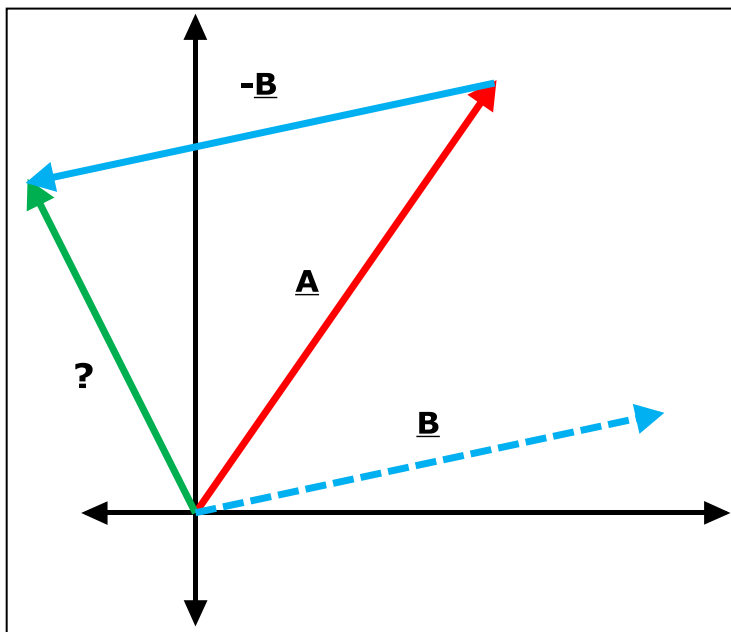
$$\sin \alpha / a = \sin \beta / b = \sin \gamma / c$$

11. If a bushwalker walks 6.5 km North East, then 4.5 km North, what is his/her resultant displacement?
 You must draw a **vector addition** diagram, with labelled arrows, in your solution to this problem.

[6 marks]

Vector Difference ($\underline{C} = \underline{A} - \underline{B}$)

- The **difference** of vectors \underline{A} and \underline{B} , represented by $\underline{A} - \underline{B}$ is best defined as the sum of $\underline{A} + (-\underline{B})$.



12. How is vector $-\underline{B}$ different from vector \underline{B} ?

[1 mark]

13. How could you describe **mathematically** the unknown vector (?) in terms of vectors \underline{A} and \underline{B} ?

[1 mark]

14. How does **reversing the order of subtraction** of two vectors affect the vector difference? For example, how would the vector difference of $\underline{A} - \underline{B}$ differ from the vector difference of $\underline{B} - \underline{A}$?

[1 mark]

- Change in velocity ($\Delta \mathbf{v}$) = ($\mathbf{v} - \mathbf{u}$) = $\mathbf{v} + (-\mathbf{u})$; where \mathbf{v} = final velocity, and \mathbf{u} = initial velocity.

In a tennis match at the Kooyong Classic, a player receives a served ball that was travelling at 30 m s^{-1} South just before the ball hit his/her racquet. Immediately after leaving his/her racquet, the tennis ball is now travelling at 25 m s^{-1} North.

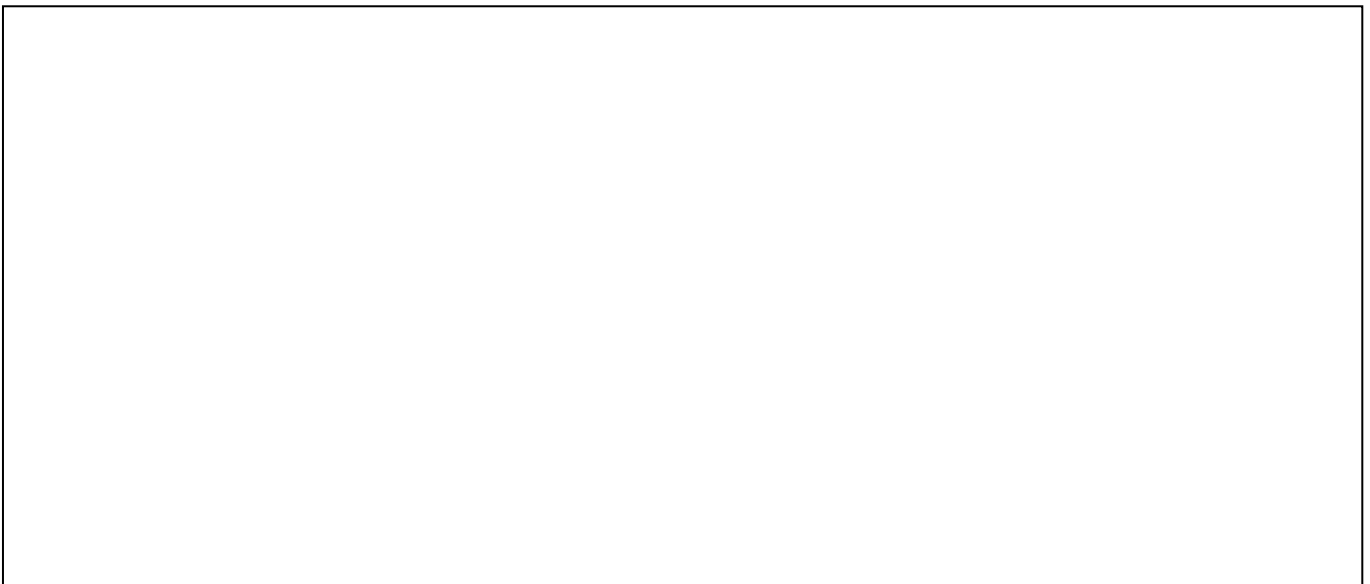
15. What **change in velocity** (magnitude and direction) did the receiving player give to the tennis ball? You must draw a **vector difference** diagram, with labelled arrows, in your solution to this problem.



[5 marks]

A cyclist travelling at 12 km h^{-1} East makes a right-hand turn at an intersection without changing speed.

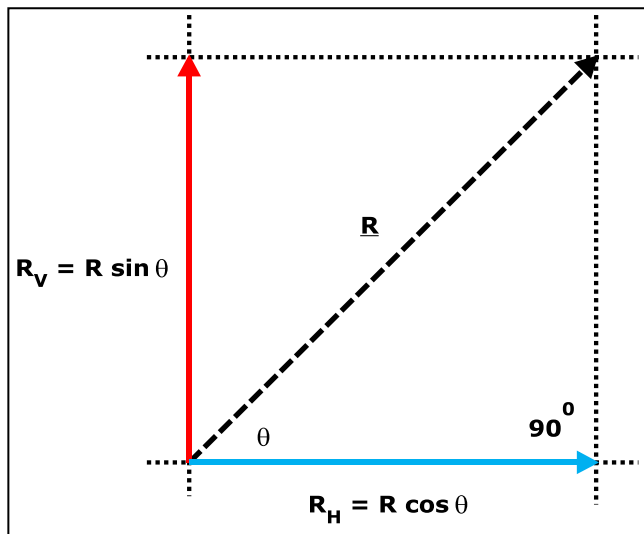
16. What **change in velocity** (magnitude and direction) did the cyclist experience in making the right-hand turn? You must draw a **vector difference** diagram, with labelled arrows, in your solution to this problem.



[7 marks]

Resolution of a Vector

- Resolution** is the process of splitting or resolving a single vector into its component vectors.



Consider a single vector \mathbf{R} making an angle θ° with the horizontal.

Vector \mathbf{R} can be resolved or split into two rectangular (at 90°) component vectors:

Vertical component: $\mathbf{R}_V = R \sin \theta$

Horizontal component: $\mathbf{R}_H = R \cos \theta$.

The single vector \mathbf{R} has been replaced by its two rectangular (at 90°) component vectors \mathbf{R}_V and \mathbf{R}_H .

A gardener is pushing with a force of **150 N** on the handle of a lawn roller inclined at **40°** to the ground.

17. What vertical downward force is exerted by the gardener on the lawn roller?

[2 marks]

18. What horizontal force is moving the lawn roller forward across the lawn?

[2 marks]

19. If the lawn roller has a weight of **303.6 N**, what is the total force pushing downwards on the lawn?

[2 marks]

[Total marks = 60]

Percent score =