

Reading for today: Section 1.2 and Section 1.4 with a focus on pgs 10-12 (4th ed or 5th ed).

Read for Lecture 4: Section 1.5 – The Wave-Particle Duality of Matter, and Section 1.6 – The Uncertainty Principle. (Same sections in 4th ed. or 5th ed.)

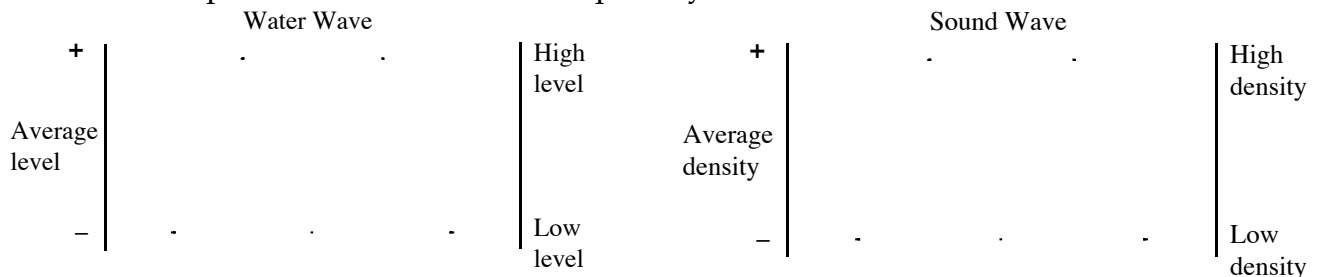
Topics: The wave-particle duality of light
 I. Light as a wave, characteristics of waves
 II. Light as a particle, the photoelectric effect

With the discovery of subatomic particles, the need for a new type of mechanics (Quantum mechanics) began to emerge. To explain the observations that scientists were making, two tenets were required: **1. Radiation and matter display both wavelike and particle-like properties;** and **2. Energy is quantized into discrete packets (called photons).**

THE WAVE-PARTICLE DUALITY OF LIGHT

LIGHT AS A WAVE; CHARACTERISTICS OF WAVES

Waves have a periodic variation of some quantity.



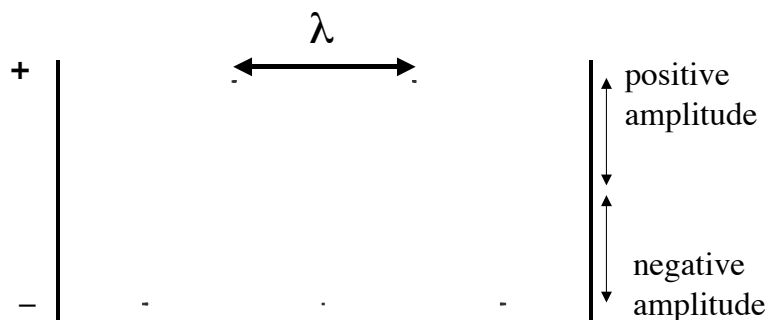
Light(_____ radiation) is the periodic variation of an electric field.

We can characterize electromagnetic radiation (or any wave) in terms of:

Amplitude (a): the deviation from an average level. Can have (+) or (-) value.

Wavelength (λ): the _____ between successive maxima or minima

Frequency (ν): the number of _____ per unit time



$1/\nu = \text{_____} = \text{the time for one cycle to occur}$

Units of frequency (ν) : cycles per second = _____

Intensity of a wave = _____

We can calculate the speed of a wave:

Speed = distance traveled / time elapsed = _____ = _____

Electromagnetic radiation has a constant speed, c (the “speed of light”).

$$c = \lambda \nu = \text{_____ ms}^{-1}$$

For any wavelength of light, the product of $\lambda * \nu$ is always c . **λ and ν are NOT independent** of each other. If you know λ , you can calculate ν . If you know ν , you can calculate λ .

The color of visible light waves is determined by their wavelength:

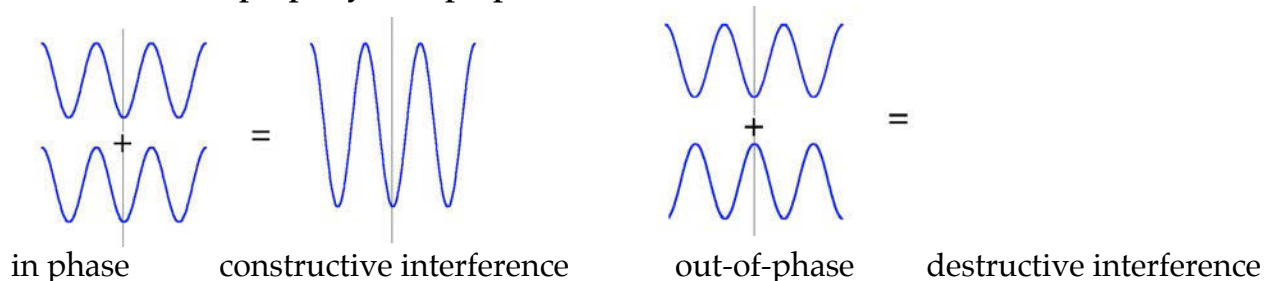
RED has longest λ	$\sim 700 \text{ nm } (7.0 \times 10^{-7} \text{ m})$	and _____ ν	$\sim 4.3 \times 10^{14} \text{ Hz}$
ORANGE	$\sim 620 \text{ nm } (6.2 \times 10^{-7} \text{ m})$		
YELLOW	$\sim 580 \text{ nm } (5.8 \times 10^{-7} \text{ m})$		
GREEN	$\sim 530 \text{ nm } (5.3 \times 10^{-7} \text{ m})$		
BLUE	$\sim 470 \text{ nm } (4.7 \times 10^{-7} \text{ m})$		
VIOLET has shortest λ	$\sim 420 \text{ nm } (4.2 \times 10^{-7} \text{ m})$	and highest ν	$\sim 7.1 \times 10^{14} \text{ Hz}$

Visible light is only a small part of the entire electromagnetic spectrum:

radio waves	$\lambda = 1 \text{ m to } 10^5 \text{ m}$
microwaves	$\lambda = 1 \text{ mm to } 1 \text{ m}$
infrared	$\lambda = 750 \text{ nm to } 1 \text{ mm}$
visible	$\lambda = 390 \text{ nm to } 750 \text{ nm}$
ultraviolet	$\lambda = 10 \text{ nm to } 400 \text{ nm}$
X-rays	$\lambda = 0.01 \text{ nm to } 10 \text{ nm}$
gamma-rays	$\lambda < 0.02 \text{ nm}$

(You are not responsible for knowing specific wavelength or frequency ranges, but you should know the relative order of colors and types of waves.)

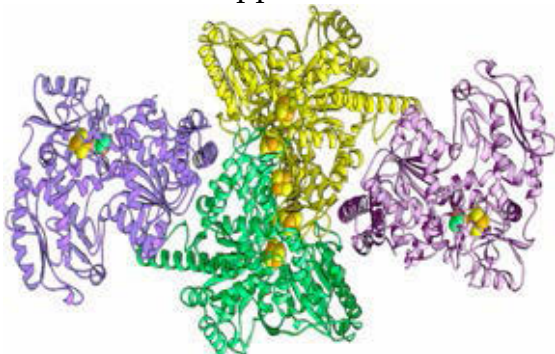
Waves have the property of superposition



Wave interference is important for many reasons, including: the design of symphony halls; noise-cancelling technology; and determining three-dimensional structures of proteins and nucleic acids at atomic resolution...

In their own words:

Prof. Cathy Drennan and her lab members use the principles of constructive / destructive interference, and other properties of light (energy, frequency, and intensity) in their research using X-ray crystallography to determine the structure of proteins. The Drennan lab captures “snapshots” of proteins in action with a focus on proteins with medical or environmental applications.



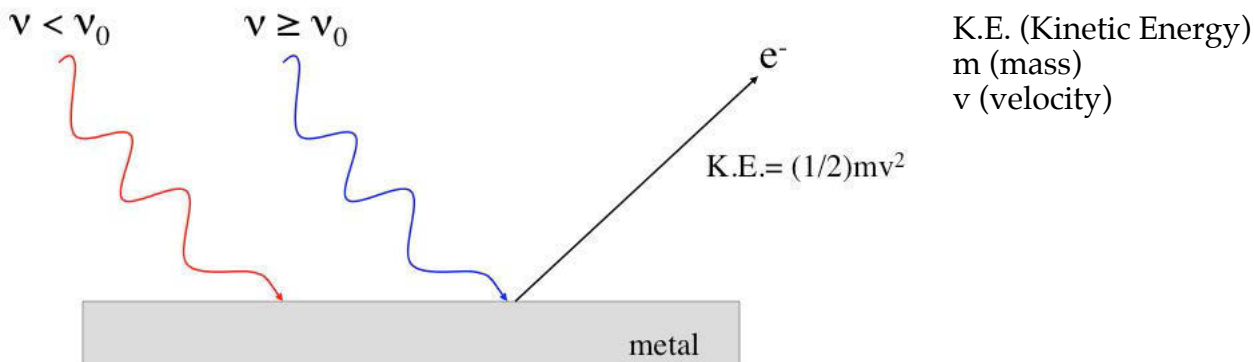
Drennan lab research webpage: <http://drennan.mit.edu/>.

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II. LIGHT AS A PARTICLE

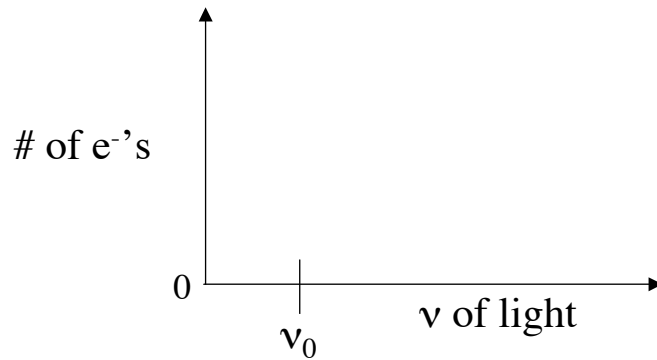
The Photoelectric Effect

A beam of light hitting a metal surface can eject electrons.



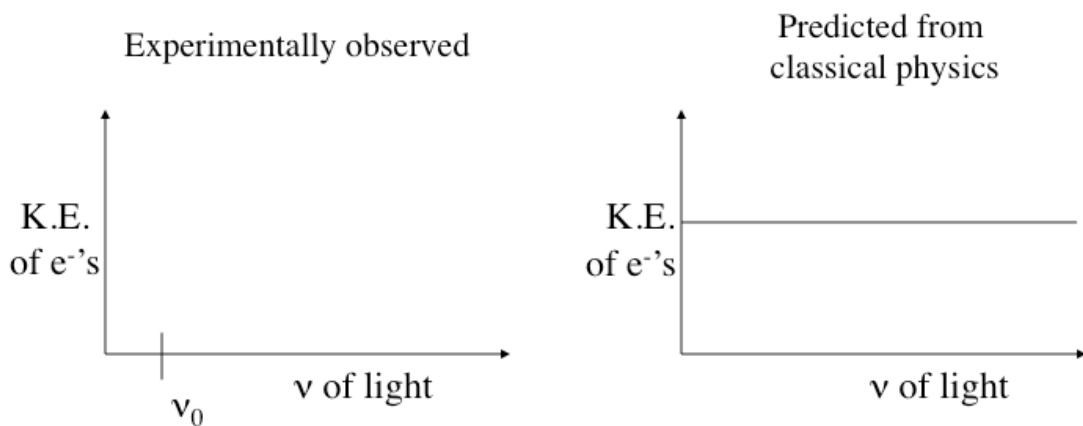
The frequency, ν , of the incoming light must be equal to some threshold frequency, _____, for an electron to be emitted. The ν_0 value depends on the identity of the metal.

At a constant intensity, the **frequency** of the light has no effect on the **number of electrons** ejected, as long as the frequency is above ν_0 . (Below ν_0 , no electrons are emitted.)

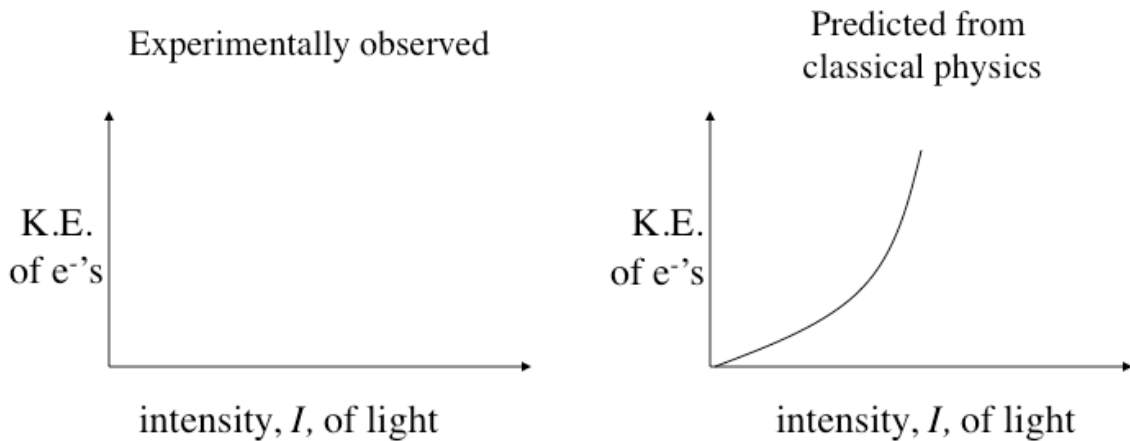


Scientists kept studying the photoelectric effect and surprising results kept coming:

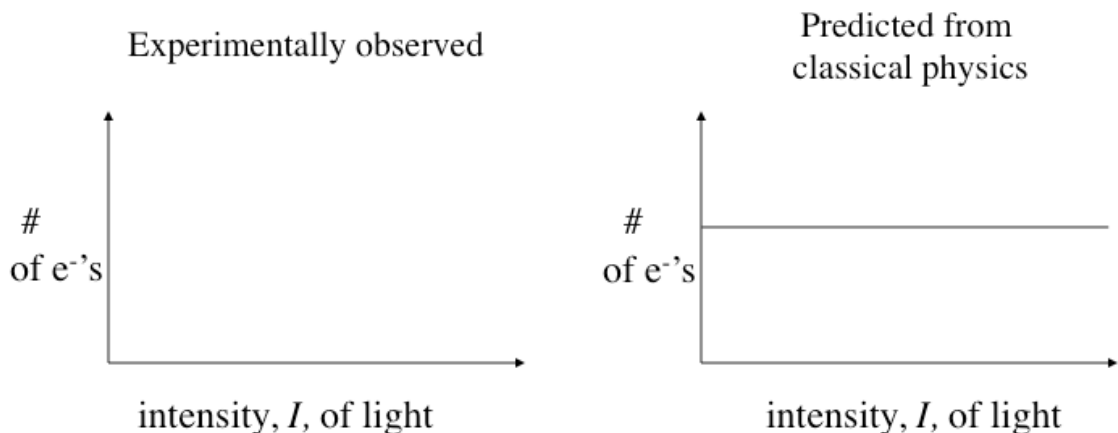
The kinetic energy, **K.E.**, of ejected electrons was measured as a function of the **frequency** (ν) of the incident light:



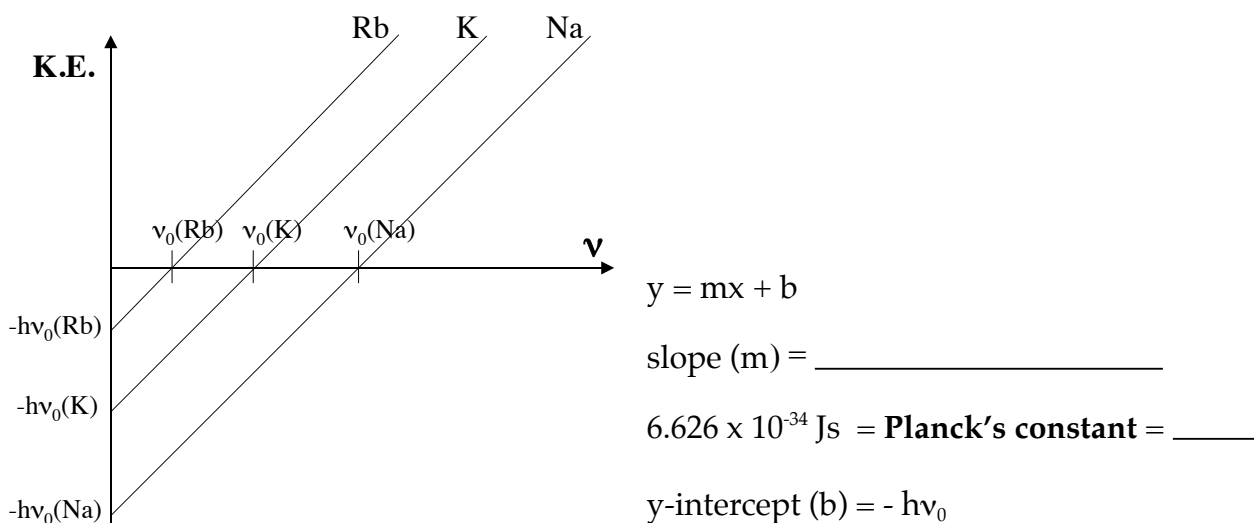
The kinetic energy, **K.E.**, of the ejected electrons was measured as a function of **intensity** of the incident light.



The # of electrons ejected was measured as a function of intensity of the incident light.



These data were in direct opposition to the predictions of classical mechanics. In 1905 Einstein analyzed plots of K.E. as a function of frequency for different metals and found that all of the data fit into a linear form



Einstein could rewrite the equation of the line:

$$y = mx + b$$

$$\text{K.E.} = \underline{\hspace{4cm}}$$

ν = frequency of incident light

$h\nu$ = the energy of the incident light = E_i

ν_0 = threshold frequency

$h\nu_0$ = threshold energy or workfunction (ϕ)

Einstein postulated (1905)

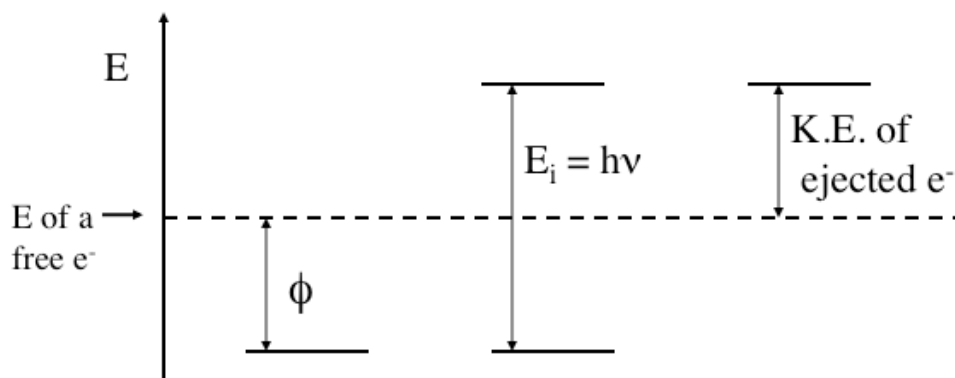
- 1) The energy of a photon is proportional to its frequency!!!

$$E = h\nu \quad (\text{Note Units: Joules (J)} = (\text{Js})(\text{s}^{-1}))$$

- 2) Light is made up of energy "packets" called "photons"

This provided a new model for the photoelectric effect

The energy of an incoming photon (E_i) must be equal to or greater than the workfunction (ϕ) of the metal in order to eject an electron. Any “leftover” energy is K.E.



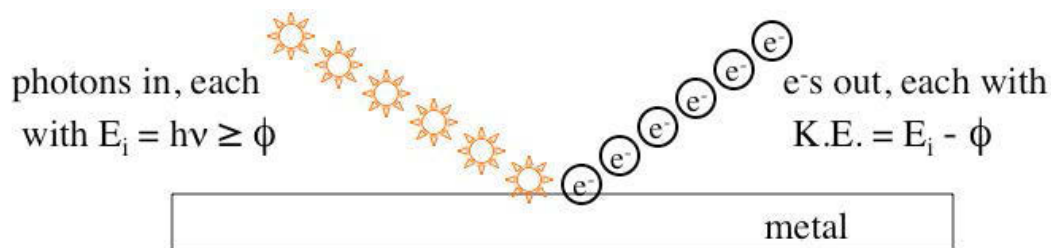
We can describe this mathematically:

K.E. = _____ or $E_i =$ _____

(Note: these are just different forms of the equation $K.E = hv - hv_0$)

Let's try some example problems.

The # of electrons ejected from the surface of a metal is proportional to the _____ of photons absorbed by the metal and not the energy of the photons (assuming $E_i \geq \phi$).



Thus, the **intensity** (I) of the light (energy/sec) is proportional to the # of photons absorbed/sec and the # of electrons emitted/sec

Unit of intensity (I : $W =$ _____)

High intensity means more _____ and NOT more _____.

Understanding that light is made up of photons (it is quantized); that the energy of a photon is proportional to its frequency; and that intensity of light is measured in photons per sec, explains the experimental observations that could not be explained by classical physics.

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5.111 Principles of Chemical Science
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